



CALIFORNIA STATE SCIENCE FAIR  
2002 PROJECT SUMMARY

<b>Name(s)</b> Andrew Min	<b>Project Number</b>  22576
<b>Project Title</b> <b>Proving Symmetry Properties of Mandelbrot Sets</b>	
<p style="text-align: center;"><b>Abstract</b></p> <p><b>Objectives/Goals</b> To prove Symmetry rules found by the iterations of complex equations by utilizing fractal geometry.</p> <p><b>Methods/Materials</b> Materials: Linux operating system, C code compiler, and knowledge of using Linux and C.</p> <p><b>Results</b> From the data generated by the programs, I noticed that the symmetry of the image seems to be related to the power of the function. This is pretty interesting because it demands a reason why. The reason why lies in the mathematics. If someone examines the function <math>x^2</math> or <math>x^3</math> then that person will notice that for complex numbers, this is a rotation. In the data we saw what happens when we multiply the original function by <math>2d</math>. The point behind <math>2d</math> was its relation to the circumference of a circle <math>2d\pi</math>. In this case <math>\pi</math> is assumed to be 1. When simplified the function doesn't change at all. It acts like the <math>2d</math> was 1. The <math>2d</math> created an effect of circling all the way back around to the same starting place. Since the power was 1, the circle wraps around a whole time producing a totally equal effect. It generates a screen full of black.  But when the function is raised to the 2nd power, things change. Instead of wrapping all the way around on the 2nd power, it only wraps <math>\frac{1}{2}</math> way around. Then it wraps around again. This produces the two symmetric parts we see when we raise the function to the 2nd power. For the 3rd power, we see 3 symmetric parts. For the 4th power, we see 4 symmetric parts.</p> <p><b>Conclusions/Discussion</b> I conclude that complex number equations have symmetry when raised to a certain power. This symmetry can be proved both thru observing firsthand through empirical observation and mathematical work. From this project I learned many things including how to create a fractal and the discovery of the more hidden parts behind fractal images. I learned why fractals have a certain pattern.</p>	
<b>Summary Statement</b> I am trying to prove Symmetry properties of Mandelbrot sets by utilizing a computer	
<b>Help Received</b> Used equipment at Jisan Research Institute under the supervision of Dr. Sanza Kazadi	